

## Weekly Reflection

I have learned how to apply Bernoulli's equation in various ways through the problems we discussed in class. One of the techniques we learned was to have a reference point on the diagram. I also learned how to use the equation to determine the height of a figure, calculate the volume flow rate and pressure using specific gravity or specific heat, and find the energy loss of a pipe. For energy loss, I learned how to find the relative roughness value based on a chart, which won't be used, but I also learned how to use the equation for relative roughness. Lastly, I learned how to use Bernoulli's equation when a pipe has an efficiency, which was not a problem discussed in class.

# HW 1.3

Group 2: Sanchez, Perkins, Ashley, Wells, Watts

6.79 Oil with a specific gravity of 0.90 is flowing downward through the venturi meter shown in Fig. P6.79. If the manometer deflection  $h$  is 28 in, calculate the volume flow rate of oil.

$$\frac{P_A}{\gamma_o} + z_A + \frac{V_A^2}{2g} = \frac{P_B}{\gamma_o} + z_B + \frac{V_B^2}{2g} \Rightarrow \frac{P_A - P_B}{\gamma_o} + \Delta z = \frac{V_B^2 - V_A^2}{2g}$$

$$\frac{V_B}{V_A} = \frac{A_A}{A_B} \text{ where } A_A = \pi \frac{d^2}{4} = 12.57 \text{ in}^2$$

$$A_B = 3.14 \text{ in}^2$$

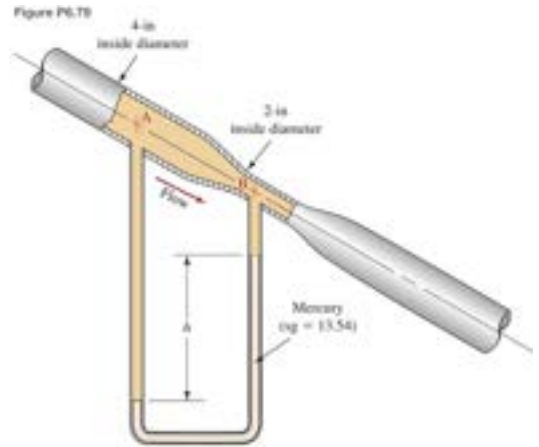
$$\rightarrow V_B = V_A \left( \frac{A_A}{A_B} \right) = 3.9 V_A \approx 4 V_A$$

$$\frac{13.54}{0.9} \times h - h - \Delta z = \frac{15 V_A^2}{2g}$$

$$V_A = \sqrt{2 \times 32.2 \times 14(28/12)/15} = 11.84$$

$$P = A_A V_A = (11.84)(12.57)/144 = 1.033 \text{ ft}^3/\text{s}$$

$$P = 1.033 \text{ ft}^3/\text{s}$$



6.82 Oil with a specific weight of 55.0 lb/ft<sup>3</sup> flows from A to B through the system shown in Fig. P6.82. Calculate the volume flow rate of the oil.

$$\frac{P_A - P_B}{\gamma_o} + \Delta z = \frac{V_B^2 - V_A^2}{2g}$$

$$A_A = 12.57 \text{ in}^2, A_B = 3.14 \text{ in}^2$$

$$V_B = V_A \left( \frac{A_A}{A_B} \right) \approx 4 V_A$$

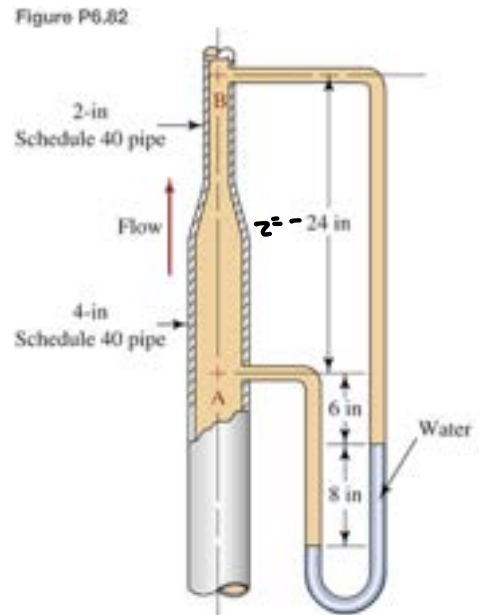
$$\rightarrow (16) \left( \frac{62.4}{55} \right) (8 \text{ in}) = 25 \text{ in}$$

$$\rightarrow 25 - 24 = 13.36 V_A^2 / 2g$$

$$\rightarrow V_A = \sqrt{(2)(32.2)(1)/13.36/12} = 0.634 \text{ ft/s}$$

$$P = (12.57)(0.634)/12 = 0.655 \text{ ft}^3/\text{s}$$

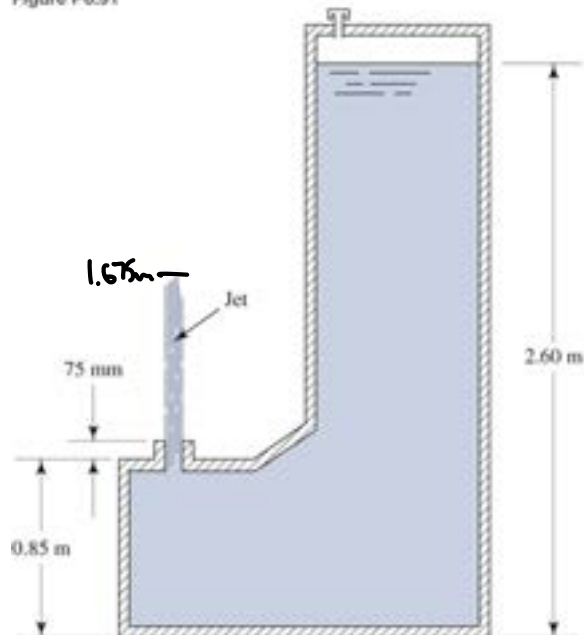
$$P = 0.655 \text{ ft}^3/\text{s}$$



6.91 To what height will the jet of fluid rise for the conditions shown in Fig. P6.91?

$$2.6 \text{ m} - (0.85 \text{ m} + 0.075 \text{ m}) = 1.675 \text{ m}$$

Figure P6.91



7.11 A submersible deep-well pump delivers 745 gal/h of water through a 1-in Schedule 40 pipe when operating in the system sketched in Fig. P7.11. An energy loss of 10.5 lb-ft/lb occurs in the piping system. (a) Calculate the power delivered by the pump to the water. (b) If the pump draws 1 hp, calculate its efficiency.

$$h_L = 10.5 \text{ lb-ft/lb}$$

$$SG_w = 62.4 \text{ lb-ft}^3$$

$$h_A + \frac{V_2^2}{2g} + \frac{P_2}{\gamma} + z_2 = \frac{V_1^2}{2g} + \frac{P_1}{\gamma} + z_1 + h_R + h_L$$

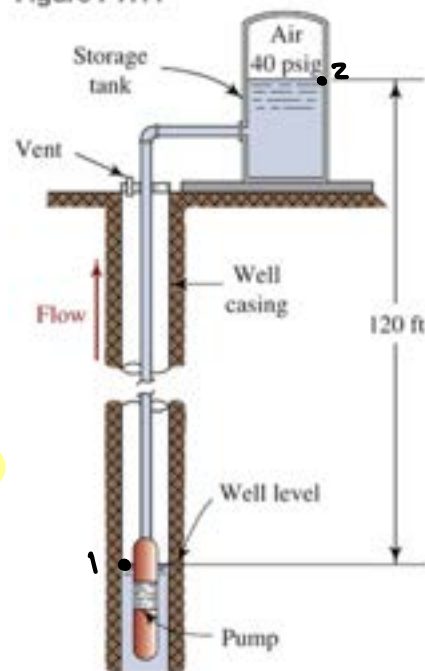
$$h_A = \frac{(40)(12)^2}{62.14} + 120 + 10.5 = 222.8 \text{ lb-ft/lb}$$

$$Q = (745)(3.78 \times 10^{-3}) = 0.0277 \text{ ft}^3/\text{s}$$

$$\text{a) Power} = h_A \times Q = (222.8)(62.4)(0.0277) = 348 \text{ lb-ft/lb} = 0.7 \text{ hp}$$

$$\text{b) } \eta = \frac{\text{Power}}{1 \text{ hp}} = \frac{0.7}{1} = 70\%$$

Figure P7.11



7.16 Figure P7.16 shows a pump delivering 840 L/min of crude oil ( $sg = 0.85$ ) from an underground storage drum to the first stage of a processing system. (a) If the total energy loss in the system is  $4.2 \text{ N} \cdot \text{m}/\text{N}$  of oil flowing, calculate the power delivered by the pump. (b) If the energy loss in the suction pipe is  $1.4 \text{ N} \cdot \text{m}/\text{N}$  of oil flowing, calculate the pressure at the pump inlet.

$$sg = 0.85, Q = 0.014 \text{ m}^3/\text{s}, \gamma = 8.34$$

$$h_A + \frac{V_1^2}{2g} + \frac{P_1}{\gamma} + z_1 = \frac{V_2^2}{2g} + \frac{P_2}{\gamma} + z_2 + h_A + h_L$$

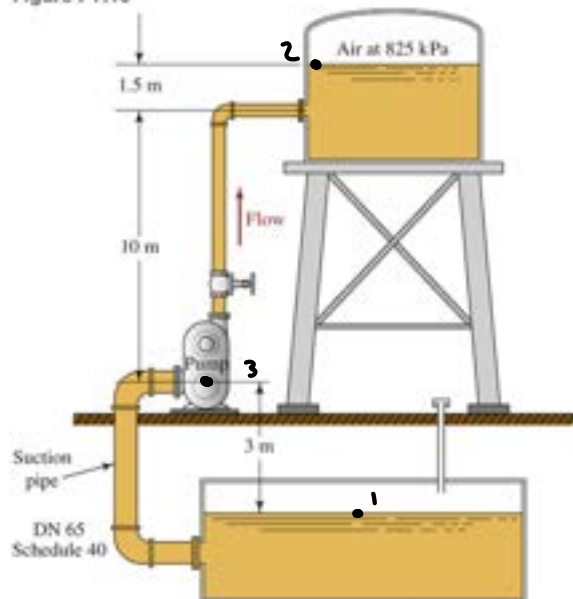
$$h_A = \frac{825}{8.34} + 14.5 + 4.2 = 117.64 \text{ m}$$

$$a) \text{ Power} = h_A \times Q = (117.64)(8.34)(0.014) = 13.73 \text{ kW}$$

$$b) P_3 = \gamma \left( \Delta z - \frac{V_2^2}{2g} - h_L \right) = 8.34 \left( -3 - \frac{(4.53)^2}{2(9.81)} - 1.4 \right)$$

$$\rightarrow P_3 = -45.4 \text{ kPa}$$

Figure P7.16



7.22 Figure P7.22 shows the arrangement of a circuit for a hydraulic system. The pump draws oil with a specific gravity of 0.90 from a reservoir and delivers it to the hydraulic cylinder. The cylinder has an inside diameter of 5.0 in, and in 15 s the piston must travel 20 in while exerting a force of 11000 lb. It is estimated that there are energy losses of 11.5 lb-ft/lb in the suction pipe and 35.0 lb-ft/lb in the discharge pipe. Both pipes are 3/4-in Schedule 80 steel pipes. Calculate:

- The volume flow rate through the pump.
- The pressure at the cylinder.
- The pressure at the outlet of the pump.
- The pressure at the inlet to the pump.
- The power delivered to the oil by the pump.

$$a) A = \pi \frac{d^2}{4} = \left( \pi \frac{(5)^2}{4} \right) / 144 = 0.1364 \text{ ft}^2$$

$$Q = A \frac{\Delta h}{t} = 0.1364 \left( \frac{20}{15 \times 12} \right) = 0.015 \text{ ft}^3/\text{s}$$

$$b) P_c = \frac{F}{A} = \frac{11000}{0.1364} = 80672 \text{ lb/ft}^2$$

$$c) \frac{P_B}{\gamma} + z_B - h_L = \frac{P_c}{\gamma} + z_c$$

$$\rightarrow P_B = 560 + (0.9)(62.4)(45) \left( \frac{1}{144} \right) = 577 \text{ psi}$$

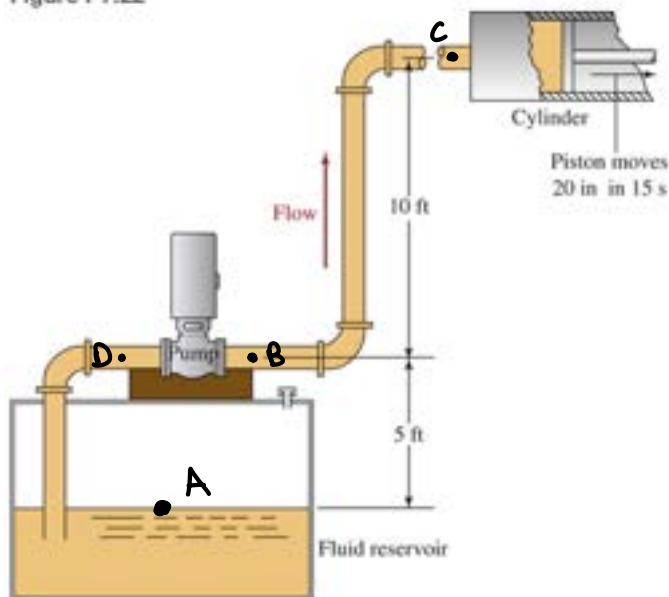
$$d) \frac{P_A}{\gamma} + z_A - h_L = \frac{P_0}{\gamma} + z_0$$

$$\rightarrow P_0 = (0.9)(62.4)(-16.5) \left( \frac{1}{144} \right) = -6 \text{ psi}$$

$$e) h_A = \frac{P_c}{\gamma} + \Delta z + h_L \rightarrow h_A = \frac{80672}{(0.9)(62.4)} + 15 + 11.5 + 35 = 1498 \text{ ft}$$

$$\text{Power} = h_A \times Q = (1498) [(0.9)(62.4)] (0.015) = 1275 \text{ ft-lb/s} = 2.32 \text{ hp}$$

Figure P7.22



7.30 Water at 60 °F flows from a large reservoir through a fluid motor at the rate of 1000 gal/min in the system shown in Fig. P7.30. If the motor removes 37 hp from the fluid, calculate the energy losses in the system.

$$\frac{V_2^2}{2g} + \cancel{\frac{P_2}{\rho}} + z_2 = \frac{V_1^2}{2g} + \cancel{\frac{P_1}{\rho}} + z_1 + h_R + h_L$$

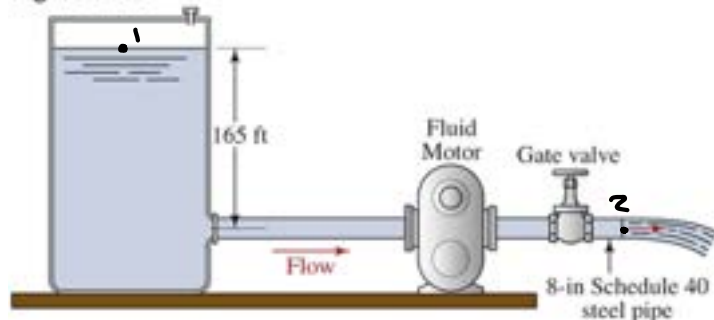
$$V_2 = \frac{Q}{A_2} = \frac{1000}{\left(\frac{0.66}{2}\right)^2 \pi} = 6.41 \text{ ft/s}$$

$$h_R = \frac{P_R}{\gamma Q} = \frac{20,350}{(62.4)(2.227)} = 146.4 \text{ ft}$$

$$h_L = \Delta z - \frac{V_2^2}{2g} - h_R$$

$$\rightarrow h_L = 165 - \frac{6.41^2}{2(32.2)} - 146.4 = 17.9 \text{ ft}$$

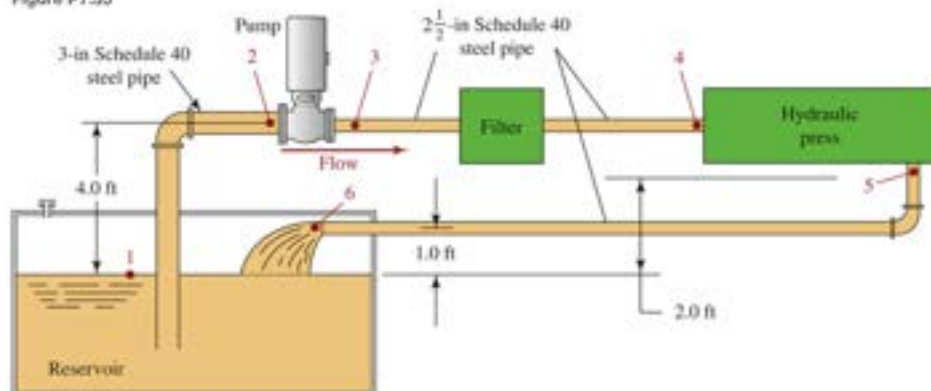
Figure P7.30



$$h_L = 17.9 \text{ ft}$$

7.35 Compute the power removed from the fluid by the press.

Figure P7.35



1. The fluid is oil ( $sg = 0.93$ ).
2. Volume flow rate is 175 gal/min.
3. Power input to the pump is 28.4 hp.
4. Pump efficiency is 80 percent.
5. Energy loss from point 1 to 2 is 2.80 lb-ft/lb.
6. Energy loss from point 3 to 4 is 28.50 lb-ft/lb.
7. Energy loss from point 5 to 6 is 3.50 lb-ft/lb.

$$\gamma = 0.93(62.4) = 58 \text{ lb/ft}^3$$

$$Q = 0.39 \text{ ft}^3/\text{s}$$

$$\eta = 0.8$$

$$\frac{V_6^2}{2g} + \cancel{\frac{P_6}{\rho}} + z_6 = \frac{V_1^2}{2g} + \cancel{\frac{P_1}{\rho}} + z_1 + h_R + h_L$$

$$V_6 = \frac{Q}{A} = 0.39 / 0.033 = 11.8$$

$$h_A = \frac{P_A}{\gamma Q} = \frac{28.4(0.8)(550)}{(58)(0.39)} = 552.4$$

$$h_R = \Delta z - \frac{V_6^2}{2g} - h_L + h_A$$

$$\rightarrow h_R = -1 - \frac{11.8^2}{2(32.2)} - 34.8 + 552.4 = 516.4 \text{ ft}$$

$$\text{Power} = h_R \gamma Q = (516.4)(58)(0.39) = 11681 \text{ ft-lb/s} = 21.2 \text{ hp}$$

$$\text{Power} = 21.2 \text{ hp}$$

7.42 Professor Crocker is building a cabin on a hillside and has proposed the water system shown in Fig. P7.42. The distribution tank in the cabin maintains a pressure of 30.0 psig above the water. There is an energy loss of 15.5 lb-ft/lb in the piping. When the pump is delivering 40 gal/min of water, compute the horsepower delivered by the pump to the water.

$$P = 40 \text{ gal/min} = 0.089 \text{ ft}^3/\text{sec}$$

$$h_A = \frac{P_2}{\gamma} + \Delta z + h_L$$

$$\rightarrow \frac{30}{62.4} (12)^2 + 220 + 15.5 = 304.7 \text{ ft}$$

$$\text{Power} = h_r \times P = (304.7)(62.4)(0.089) = 1692 \text{ ft}^3/\text{s}$$

$$\text{Power} = 3.08 \text{ hp}$$

