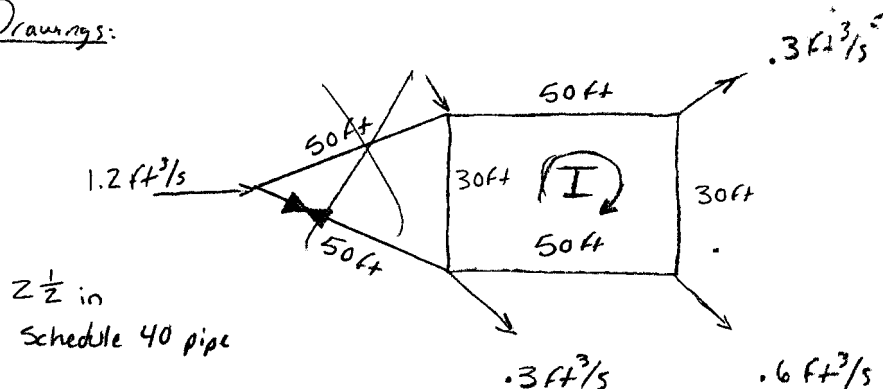


Purpose: Find the flow rate in each pipe. neglect minor losses

Drawings:



Sources: - Mott & Unten. Applied Fluid Mechanics 7th edition. Pearson 2015
- Blackboard lectures & HW solutions

Design Considerations:

- incompressible fluid
- water @ 60°F
- Valve fully closed
- 1 circuit
- neglect minor losses

Data and variables:

- $\gamma_{H_2O} = 62.4 \text{ lb/ft}^3$
- $\nu = 1.21 \times 10^{-5} \text{ ft}^2/\text{s}$
- 2 1/2 in schedule 40 pipe
- $\frac{P_A}{\gamma} + \frac{V_A^2}{2g} + z_A = \frac{P_B}{\gamma} + \frac{V_B^2}{2g} + z_B + h_L$
- Area = 0.03326 ft²
- $V = \frac{Q}{A}$
- I.D = 2058 ft
- $k = \frac{8(L_1 + L_2)f_i}{\pi^2 g D^5}$
- $f = \frac{2.5}{\left[\log \left(\frac{1}{3.7(D/4)} + \frac{5.74}{Re^{0.9}} \right) \right]^2}$

Procedure:

- 1) Collected all data necessary to create an excel spreadsheet
- 2) Assumed 1 circuit
- 3) Guessed a flow rate for each pipe.
- 4) Did iterations on excel until 0% difference was acquired.

Problem 1

Test 3

Dezmond Banks

Circuit 1

	L(ft)	Le	D(ft)	e(ft)	e/D	Q initial (ft ³ /s)
a-b		50	0	0.2058	1.50E-04	7.29E-04
a-c		30	0	0.2058	1.50E-04	7.29E-04
c-d		50	0	0.2058	1.50E-04	7.29E-04
b-d		30	0	0.2058	1.50E-04	7.29E-04

Trial 1

Circuit 1

	Q(ft ³ /s)	Re	f	k	h=kQ ²	2kQ	deltaQ	%change
a-b	0.6	1.28E+05	0.037876	1.29E+02	4.65E+01	1.55E+02		75%
a-c	-0.6	1.28E+05	0.037876	7.75E+01	-2.79E+01	-9.30E+01		75%
c-d	-0.3	6.41E+04	0.037876	1.29E+02	-1.16E+01	-7.75E+01		150%
b-d	0.3	6.41E+04	0.037876	7.75E+01	6.97E+00	4.65E+01		150%
					1.39E+01	3.10E+01	4.50E-01	

Trial 2

Circuit 1

	Q(ft ³ /s)	Re	f	k	h=kQ ²	2kQ	deltaQ	%change
a-b	-1.50E-01	3.21E+04	0.037876	1.29E+02	-2.91E+00	-3.87E+01		307%
a-c	1.05E+00	2.24E+05	0.037876	7.75E+01	8.54E+01	1.63E+02		44%
c-d	7.50E-01	1.60E+05	0.037876	1.29E+02	7.26E+01	1.94E+02		61%
b-d	1.50E-01	3.21E+04	0.037876	7.75E+01	1.74E+00	2.32E+01		307%
					1.57E+02	3.41E+02	4.60E-01	

Trial 2

Circuit 1

	Q(ft ³ /s)	Re	f	k	h=kQ ²	2kQ	deltaQ	%change
a-b	6.10E-01	1.30E+05	0.037876	1.29E+02	4.81E+01	1.58E+02		74%
a-c	-5.90E-01	1.26E+05	0.037876	7.75E+01	-2.69E+01	-9.14E+01		76%
c-d	-2.90E-01	6.19E+04	0.037876	1.29E+02	-1.08E+01	-7.48E+01		155%
b-d	3.10E-01	6.63E+04	0.037876	7.75E+01	7.46E+00	4.81E+01		145%
					1.77E+01	3.94E+01	4.50E-01	

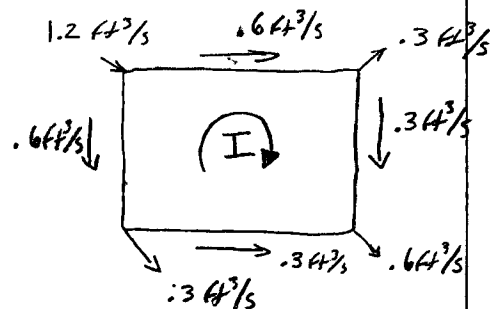
Trial 3

Circuit 1

	Q(ft ³ /s)	Re	f	k	h=kQ ²	2kQ	deltaQ	%change
a-b	-1.60E-01	3.42E+04	0.037876	1.29E+02	-3.32E+00	-4.14E+01		287%
a-c	1.04E+00	2.22E+05	0.037876	7.75E+01	8.38E+01	1.61E+02		44%
c-d	7.40E-01	1.58E+05	0.037876	1.29E+02	7.07E+01	1.91E+02		62%
b-d	1.40E-01	2.99E+04	0.037876	7.75E+01	1.51E+00	2.17E+01		328%
					1.53E+02	3.32E+02	4.59E-01	

Calculations:

* Used excel to calculate iterations

Summary:

The purpose of this problem was to test the students knowledge on calculating the flow rate of a piping system. The problem required calculating flow rate of water in each pipe while neglecting minor losses.

Materials:

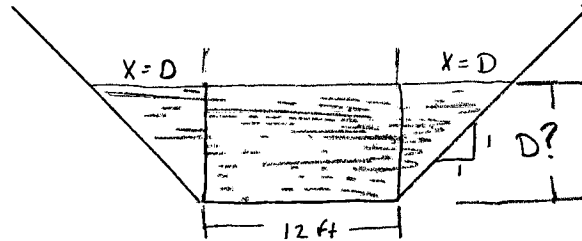
- Water
- 2 1/2 Schedule 40 pipes
- Valve

Analysis:

In this problem my biggest issue was getting my excel sheet to function correctly, which I was clearly unable to do. I assumed that since the valve was in the system, there would only be 1 circuit.

Purpose: Determine the water depth when flow rate is $34.7 \text{ ft}^3/\text{s}$

Drawings:



Sources:

- Mott & Untener. Applied Fluid Mechanics. 7th Edition. Pearson 2015
- Blackboard lectures & HW Solutions

Design Considerations:

- incompressible fluid
- Since slope is 1:1 ratio $X=D$
- Trapezoid channel

Data & Variables:

- "n" value = 0.04
- $Q = 34.7 \text{ ft}^3/\text{s}$
- $A = WD + XD$
- $R = \frac{A}{WP}$
- Slope = 0.0015
- $AR^{2/3} = \frac{nQ}{S^{1/2}}$
- $WP = W + 2L$
- $L = \sqrt{X^2 + D^2}$

Procedure:

- 1) Found $AR^{2/3}$
- 2) Set X equal to D
- 3) Used excel to calculate iterations
- 4) Assumed D
- 5) Changed D until my new $AR^{2/3}$ was equal to my calculated.

Problem 2

Test 3

Dezmond Barths

Y	A	WP	R	$R^{2/3}$	$AR^{2/3}$	New $AR^{2/3}$	$AR^{2/3}$
1	13	14.82843	0.876694	0.916007	113.329	11.9080924	113.329
3	45	20.48528	2.196699	1.689846	113.329	76.04305694	
4	64	23.31371	2.745166	1.960555	113.329	125.4755328	
3.5	54.25	21.89949	2.477226	1.830812	113.329	99.32155376	
3.8	60.04	22.74802	2.63935	1.909845	113.329	114.6670657	
3.7	58.09	22.46518	2.585779	1.883914	113.329	109.4365402	
3.75	59.0625	22.6066	2.612622	1.896929	113.329	112.0373568	
3.77	59.4529	22.66317	2.623327	1.902107	113.329	113.0857714	
3.774	59.53108	22.67448	2.625466	1.903141	113.329	113.2960092	
3.7745	59.54085	22.6759	2.625733	1.90327	113.329	113.322302	

Calculations:

$$AR^{2/3} = \frac{nQ}{S^{1/2}}$$

$$AR^{2/3} = \frac{(.04)(34.7)}{(.00015)^{1/2}}$$

$$\underline{AR^{2/3} = 113.329}$$

$$W = 12 \quad X = D$$

$$A = WD + XD$$

$$\underline{A = 12D + D^2}$$

$$L = \sqrt{D^2 + D^2}$$

$$WP = W + 2L \quad L = \sqrt{2D^2}$$

$$WP = 12 + 2(\sqrt{2D^2})$$

* Iterations on excel spreadsheet

$$\underline{D = 3.7745}$$

Summary:

The purpose of this problem was to test the students knowledge in computing depth of flow for open channels.

Materials:

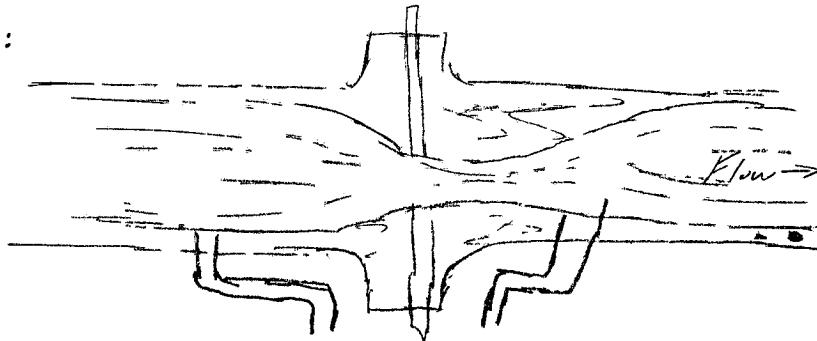
- water

Analysis:

Through the use of excel I was able to make educated guesses on the depth of the trench until I found the desired depth.

Purpose: Determine appropriate manometer scale range to be used

Drawings:



Sources:

- Mott & Unkenr. Applied Fluid Mechanics 7th edition. Pearson 2016
- Blackboard lectures & HW solutions

Design Considerations:

- Type K copper tube
- Manometer used for pressure measurement
- linseed fluid

Data & Variables:

3.741 in Flow nozzle

4 in Type K copper tube

Linseed oil @ 77°F

$Q = 700 \text{ gpm to } 100 \text{ gpm}$

merc manometer

$\gamma_{oil} = 58 \text{ lb/ft}^3$

$ID = .3214 \text{ ft}$
3.857 in

$A = 8.114 \times 10^{-2} \text{ ft}^2$

viscosity = $3.84 \times 10^{-4} \text{ ft}^2/\text{s}$

$700 \text{ gpm} = 1.559 \text{ ft}^3/\text{s}$

$1000 \text{ gpm} = 2.228 \text{ ft}^3/\text{s}$

Procedure:

- 1) Find all necessary values / given data
- 2) Manipulate formula to solve for h

Calculations:

$$V_{min} = \frac{1.559 \text{ ft}^3/\text{s}}{8.114 \times 10^{-2} \text{ ft}^2}$$

$$V_{max} = \frac{2.228 \text{ ft}^3/\text{s}}{8.114 \times 10^{-2} \text{ ft}^2}$$

$$V_{min} = 19.21 \text{ ft/s}$$

$$V_{max} = 27.46 \text{ ft/s}$$

$$V_1 = C_1 \sqrt{\frac{2gh \left[\frac{\rho_m}{\rho_{0.1}} - 1 \right]}{\left(A_1/A_2 \right)^2 - 1}}$$

Summary:

The purpose of this problem was to test the student's knowledge on flow nozzles and manometer scale ranges. In this problem the student was required to determine the manometer scale range to be used.

Materials:

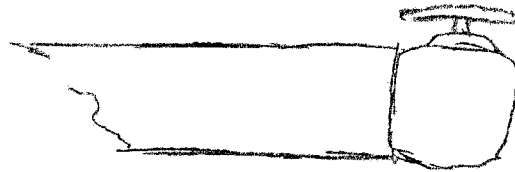
- Manometer
- Type K copper tubing
- Mercury
- nozzle
- linseed oil

Analysis:

The problem required the manipulation of formulas along with iterations from excel to find the approximate manometer scale.

Purpose: Determine minimum pipe thickness

Drawing:



Sources:

- Mott. & Unten Applied Fluid Mechanics 7th edition Pearson 2015
- Blackboard lectures & Solutions

Design Considerations:

- Steel pipe
- incompressible fluid
- Pipe failure?
- Valve closed

Data & Variables:

$$S = 10 \text{ mm}$$

$$P = 600 \text{ psi}$$

$$E = 2 \times 10^7 \text{ N/mm}^2$$

$$E_0 = 2.03 \times 10^5 \text{ N/cm}^2$$

$$ID = 600 \text{ mm}$$

$$V = 2.5 \text{ m/s}$$

Procedure:

- 1) Use given values to calculate
- 2) plug calculated values into pipe thickness formula
- 3) calculate pipe thickness.

Calculations:

$$E = 2.07 \times 10^5 \text{ N/cm}^2$$

$$S = 16 \text{ mm}$$

$$D = 600 \text{ mm}$$

$$t = \frac{PD}{2(S + pY)}$$

$$V = 2.5 \text{ m/s}$$

$$E = 2.03 \times 10^5 \text{ N/cm}^2$$

$$t = \frac{(600 \text{ psi})}{2} \left(\frac{1}{(600 \text{ psi}) + (40)} \right)$$

Summary:

The purpose of this problem was to test the student's knowledge on piping systems.

The problem required the student to calculate the required minimum thickness of the pipe to accommodate the design pressure of the system.

Materials:

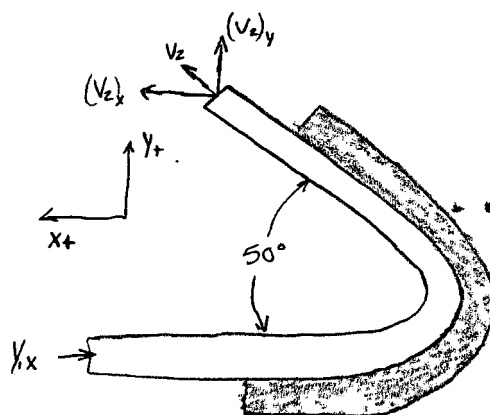
- Steel pipe
- Water
- Valve

Analysis:

This problem required the use of the pipe thickness formula and possibly some iterations for h . Using the given values with some of the formulas from the book one should be able to solve this problem.

Purpose: Determine water velocity if $F_H = 30.8 \text{ lbf}$
 Determine vertical force $(V_z)_y$

Drawing:

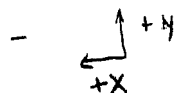


Sources:

- Mott & Untener. Applied Fluid Mechanics 7th edition. Pearson 2016
- Blackboard lectures & HW solutions

Design Considerations:

- $(V_1)_y = 0$



- incompressible fluid

Data & Variables

$$F_x = \rho Q (V_{2x} - V_{1x})$$

$$\rho = 1.88 \text{ slugs/ft}^3$$

$$T_{H_2O} = 180^\circ\text{F}$$

$$F_y = \rho Q (V_{2y} - V_{1y})$$

$$F_H = 30.8 \text{ lbf}$$

$$A = 2.95 \text{ in}^2 = 0.20 \text{ ft}^2$$

$$Q = AV$$

$$V_{2x} = V_1 \cos \theta$$

$$V_{2y} = V_1 \sin \theta$$

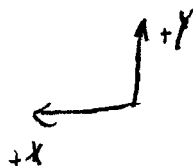
$$\theta = 50^\circ$$

Procedure:

- 1) Subbed $V_1 \cos \theta$ for V_{2x} in $F_x = \rho Q (V_{2x} - V_{1x})$
- 2) Solved for V_1 by isolating it to one side
- 3) Calculated V_2 using my new found V_1
- 3) Calculated the F_y using formula $F_y = \rho Q (V_{2y} - V_{1y})$

Calculations:

$$F_x = \rho Q (V_{2x} - V_{1x})$$



$$F_x = \rho A V (V_1 \cos 50^\circ - V_{1x})$$

$$30.8 = (1.88)(.020) V_1 (V_1 (.643) - (-V_1))$$

$$30.8 = (1.88)(.020 V_1) (.643 V_1 + V_1)$$

$$(.0376 V_1) (.643 V_1 + V_1)$$

$$(.024 V_1^2 + .0376 V_1^2)$$

$$\frac{30.8}{.0616} = \frac{.0616 V^2}{.0616}$$

$$500 = V^2$$

$$\sqrt{500} = V$$

$$22.36 = V_1$$

$$V_{2x} = 22.36 (\cos 50^\circ)$$

$$V_{2x} = 14.37$$

$$V_{2y} = 22.36 (\sin 50^\circ)$$

$$V_{2y} = 17.13$$

$$F_y = \rho Q (V_{2y} - V_{1y})$$

$$F_y = \rho A V (V_{2y} - V_{1y})$$

$$F_y = (1.88)(.447)(17.13 - 0)$$

$$F_y = 14.416 \text{ lbf}$$

Summary:

The purpose of this problem was to test the student's knowledge on calculating the effect of vanes on water streams.

In this particular problem I had to solve for velocity and force vertical without knowing the flow rate of the water.

Materials:

- Vane
- Water

Analysis:

By manipulating the equation $F_x = \rho Q (v_{2x} - v_{1x})$ I was able to sub $v_{2x} = v_1 \cos \theta$ into the equation and solve for v_1 . After finding v_1 I simply had to sub it back into the equation to find the force vertical.