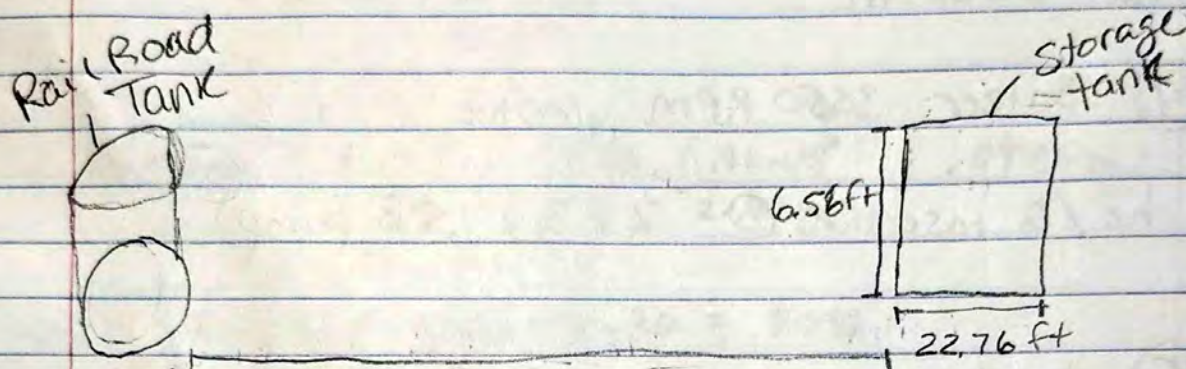


Test 3 MET 330 Joe Munoz

Design pipeline system from railroad car tank to storage tank for coolant



$$\text{Length} = 700\text{ft} - 22.76\text{ft} = 677.24$$

Specifications:

Coolant viscosity & vapor pressure 1.5 times water

Choosing temperature @ 32°F where viscosity is high so system can handle worst case scenario

$$\text{SG} = .94$$

$$\nu_{\text{water}} @ 32^\circ\text{F} = 1.89 \times 10^{-5} \text{ ft}^2/\text{s}$$

$$\nu_{\text{coolant}} @ 32^\circ\text{F} = 1.89 \times 10^{-5} \text{ ft}^2/\text{s} \cdot 1.5 = 2.835 \times 10^{-5}$$

$$\text{Vapor pressure water} @ 32^\circ\text{F} = .08854 \text{ psia}$$

$$\text{Vapor pressure coolant} @ 32^\circ\text{F} = .08854 \text{ psia} \cdot 1.5 = .13281 \text{ psia}$$

$$\gamma = 62.42 \text{ lb/ft}^3 \cdot .94 = 58.5056 \text{ lb/ft}^3$$

$$\text{Flow rate} \frac{15000 \text{ gal}}{6 \text{ hrs}} = \frac{2500 \text{ gal}}{\text{hr}}$$

$$\frac{2500 \text{ gal/hr}}{26940 \frac{\text{gal/hr}}{\text{ft}^3/\text{s}}} = .09279 \text{ ft}^3/\text{s}$$

Pipe size: $Q = VA$

$$V_{crit} = 9 \text{ ft/s}$$

$$Q = .09279 \text{ ft}^3/\text{s}$$

$$A = \frac{Q}{V} = \frac{.09279 \frac{\text{ft}^3}{\text{s}}}{9 \frac{\text{ft}}{\text{s}}} = .01031 \text{ ft}^2$$

$$D = \sqrt{\frac{A}{\frac{\pi}{4}}} = \sqrt{\frac{.01031 \text{ ft}^2}{\frac{\pi}{4}}} = .11458 \text{ ft}$$

$$D = .11458 \text{ ft} \cdot \frac{12 \text{ in}}{1 \text{ ft}} = 1.3749 \text{ inches}$$

Client requested minimum pipe diameter of 1.5 inches, which is greater than the calculated Diameter. Pipe size will be 1.5 inches to accommodate client request.

Pipe material & Dimensions:

Sched 40 steel pipe DN 40

$$D_{inside} = 1.610 \text{ in or } .1342 \text{ ft}$$

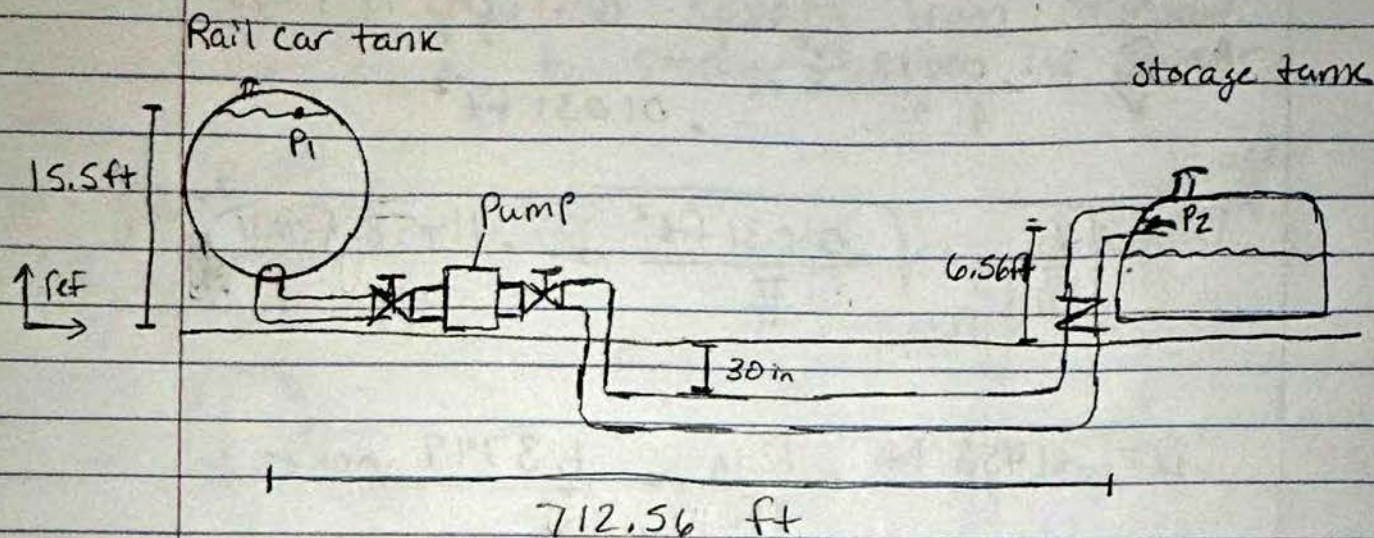
$$\text{Flow Area} = .01414 \text{ ft}^2$$

$$\epsilon = 1.5 \times 10^{-4} \text{ ft}$$

Velocity calculation with chosen pipe specs:

$$Q = VA \quad V = \frac{Q}{A} = \frac{.09279 \text{ ft}^3/\text{s}}{.01414 \text{ ft}^2} = 6.56 \text{ ft/s}$$

Pipe layout:



Assume rail car height is industry standard of 15.5 ft

Total pipe length = 700 ft + 6 ft + 6.56 ft = 712.56 ft

Hydraulic Analysis:

$$\frac{P_1}{\gamma_L} + \frac{V_1^2}{2g} + Z_1 + h_a = \frac{P_2}{\gamma_L} + \frac{V_2^2}{2g} + Z_2 + h_L$$

$$h_a = \frac{V_2^2}{2g} + (Z_2 - Z_1) + h_L$$

$$h_L = h_{L1 \rightarrow 2} + 5h_{L, \text{elbow}} + 2h_{L, \text{valve}} + h_{L, \text{ck valve}} + h_{L, \text{entry}}$$

$$RE = \frac{VD}{\gamma} = \frac{6.56 \text{ ft/s} \cdot 0.1342 \text{ ft}}{2.835 \times 10^{-5} \text{ ft}^3/\text{s}} = 31066.5$$

$$F = \frac{0.25}{\left(\log \left(\frac{1}{3.7 \cdot \frac{0.1342 \text{ ft}}{1.5 \times 10^{-4} \text{ ft}}} + \frac{5.74}{31066.5^{0.9}} \right) \right)^2} = 0.02626$$

$$F_T = \frac{.25}{\left(\log \left(\frac{1}{3.7 \cdot \frac{.1342 \text{ ft}}{1.5 \times 10^{-4} \text{ ft}}} \right) \right)^2} = .02017$$

$$h_{L, 1 \rightarrow 2} = f \cdot \frac{L}{D} \cdot \frac{V_2^2}{2g} = .02626 \cdot \frac{712.56 \text{ ft}}{.1342 \text{ ft}} \cdot \frac{(6.56 \text{ ft/s})^2}{2 \cdot 32.2 \text{ ft/s}^2}$$

$$h_{L, 1 \rightarrow 2} = 93.19 \text{ ft}$$

$$h_{L, \text{elbow}} = K \cdot \frac{V_2^2}{2g} = .6054 \cdot \frac{(6.56 \text{ ft/s})^2}{2 \cdot 32.2 \text{ ft/s}^2} = .4048 \text{ ft}$$

$$K = 30 \cdot f_T = 30 \cdot .02017 = .6054$$

$$h_{L, \text{valve}} = K \cdot \frac{V_2^2}{2g} = 6.86 \cdot \frac{(6.56 \text{ ft/s})^2}{2 \cdot 32.2 \text{ ft/s}^2} = 4.588 \text{ ft}$$

Globe valve

$$K = 340 \cdot f_T = 340 \cdot .02017 = 6.86$$

$$h_{L, \text{ck valve}} = K \cdot \frac{V_2^2}{2g} = 3.026 \cdot \frac{(6.56 \text{ ft/s})^2}{2 \cdot 32.2 \text{ ft/s}^2} = 2.024 \text{ ft}$$

Ball check valve

$$K = 150 \cdot f_T = 150 \cdot .02017 = 3.026$$

$$h_{L, \text{entry}} = K \cdot \frac{V_2^2}{2g} = .5 \cdot \frac{(6.56 \text{ ft/s})^2}{2 \cdot 32.2 \text{ ft/s}^2} = .3344 \text{ ft}$$

$$K = .5$$

$$h_L = 93.19 \text{ ft} + (5 \cdot .4048 \text{ ft}) + (2 \cdot 4.588 \text{ ft}) + 2.024 \text{ ft} + .3344 \text{ ft}$$

$$h_L = 106.748 \text{ ft}$$

$$h_a = \frac{(6.56 \text{ ft/s})^2}{2 \cdot 32.2 \text{ ft/s}^2} + (6.56 \text{ ft} - 15.5 \text{ ft}) + 106.748 \text{ ft}$$

$$h_a = 98.47 \text{ ft}$$

Preliminary pump requirements:

Pump head = 83.6 ft

flow rate = 2500 gal/hr or .09279 ft³/s
41.667 gal/min

Kinetic Pump Argument: coolant is not multi-phase and flow rate does not need to vary, so a kinetic pump can be used in this case. A kinetic pump should be chosen since they are cheaper + smaller to reduce cost to client + save space.

Additionally, calculating the specific speed and using the specific speed vs specific diameter shows a radial flow pump is best choice.

$$N_s = \frac{3000 \text{ rpm} \cdot \sqrt{41.667 \text{ gal/min}}}{(83.6 \text{ ft})^{3/4}} = 700$$

Pump selection:

Q + h requirements on Sulzer 1775 rpm 60 Hz pump map land in 1x3x11.5

Must apply affinity laws to scale 3550 RPM graph x + y axis

$$\frac{H_1}{H_2} = \left(\frac{N_1}{N_2}\right)^2$$

$$\frac{Q_2}{Q_1} = \frac{N_1}{N_2}$$

Y scaling Head (ft)

$$H_1 = \left(\frac{1775}{3550}\right)^2 \cdot H_2$$

X scaling of flow (gal/

$$Q_2 = \frac{1775}{3550} \cdot Q_1$$

After rescaling for reduced RPM, flow rate and Head flow outside of impeller diameter curves. Must select overlapping pump 1.5x3x10.

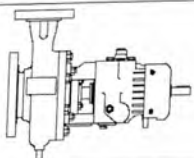
rescaled 1.5x3x10 pump encompasses Q of 41 gal/min and 98 feet of head. Impeller size sits between 10.10 inches + 9.69 inches

Graph of System Curve:

$$h_a = (6.56 - 15.5) + \left(\left(\frac{.026 \cdot 712.56}{.1342} + 1 \right) \cdot \frac{Q^2}{2 \cdot .01414^2 \cdot 32.2} \right)$$

$$Q = 50 \text{ gal/min} = .1114 \text{ ft}^3/\text{s} \quad h_a = 124.97 \text{ ft}$$

$$Q = 30 \text{ gal/min} = .0668403 \text{ ft}^3/\text{s} \quad h_a = 39.27 \text{ ft}$$

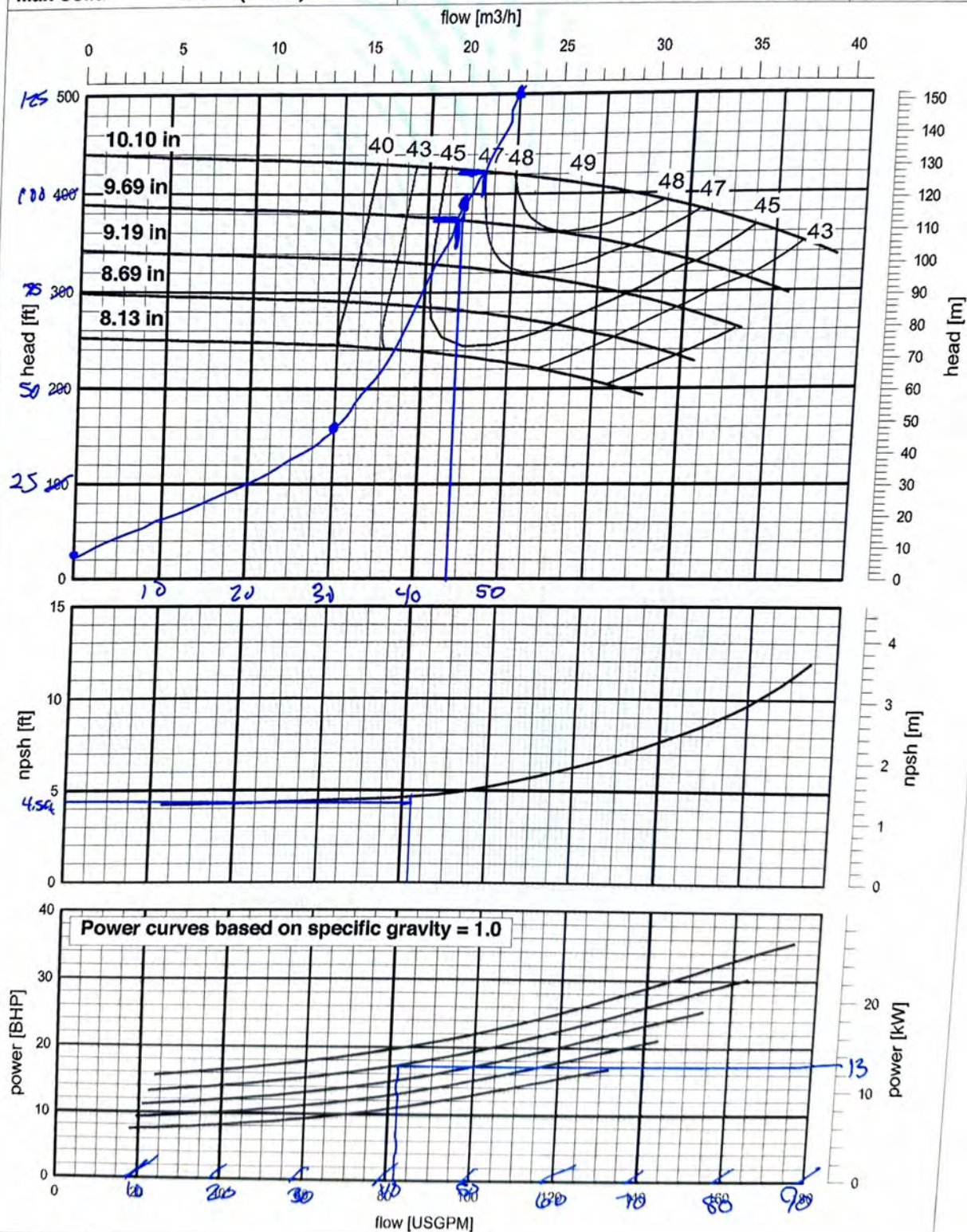


1.5 x 3 x 10 -1 OHH

SULZER

series 2.00 / 60Hz E030

Curve No	OHH 60-1-1-01	NSS	9890 (192)	Speed 3520 rpm
Efficiency Basis	API Std. clearances	NS	420 (8)	
Max Solid	.25 in (6 mm)	Rotation	CCW viewed from coupling	



Rated Conditions

Project

Item

H =

Q =

P =

Calculated Efficiency =

NPSH

Impeller diameter selected is 9.69 in

$$Q_{act} = 41.3 \text{ gal/min} = 2478 \text{ gal/hr} = .09201 \text{ ft}^3/\text{s}$$

$$h_{act} = 94 \text{ ft}$$

Time to fully empty rail car tank

$$\frac{15000 \text{ gal}}{2478 \frac{\text{gal}}{\text{hr}}} = 6.05 \text{ hrs}$$

6.05 hrs > 6 hrs per client request

Pump power:

$$P_A = \gamma_c h_a Q = 58.5056 \frac{\text{lb}}{\text{ft}^3} \cdot 94 \text{ ft} \cdot .09201 \text{ ft}^3/\text{s}$$

$$506.04 \frac{\text{lb} \cdot \text{ft}}{\text{s}} \cdot \frac{1.36 \text{ W}}{\frac{\text{lb} \cdot \text{ft}}{\text{s}}} = 686.20 \text{ W}$$

$$P = \frac{P_A}{\eta_{mech}} = \frac{686.20 \text{ W}}{.83} = 826.75 \text{ W}$$

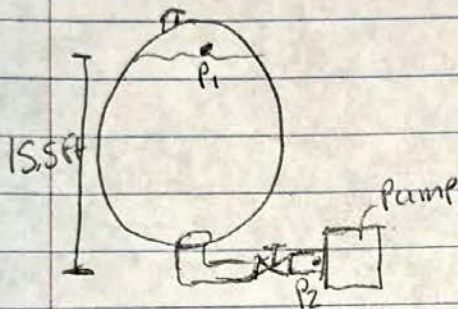
$$P_{act} = 826.75 \text{ W} \cdot 1.10 = 909.42 \text{ W}$$

Electrical Power require is 909.42 W

NPSH Eval: $NPSH_{available} > NPSH_{req'd}$

$$NPSH_{available} = \frac{P_i^0 - P_v}{\gamma} + (Z_1 - Z_{suct}) - H_{L,suct}$$

$$P_v = .13281 \frac{lb}{in^2} \cdot \frac{144 in^2}{ft^2} = 19.12 \frac{lb}{ft^2}$$



$$H_{L,suct} = H_{L,entry} + H_{L,valve} + H_{L,elbow}$$

$$H_{L,suct} = .3344 ft + 4.588 ft + .4048 ft = 5.3272 ft$$

$$NPSH_{available} = \frac{19.12 \frac{lb}{ft^2}}{58.5056 \frac{lb}{ft^3}} + (15.5 ft - 0) - 5.3272 ft$$

$$NPSH_{available} = 9.84 ft$$

$$NPSH_r @ 3550 rpm = 4.5 ft$$

$$NPSH_{r,z} = \left(\frac{1775}{3550} \right)^2 4.5 ft = 1.125 ft$$

9.84 ft NPSH available is greater than 1.125 ft required, so NO cavitation will occur.

Materials + Equipment List :

Rail road tank > Both already provided
Storage tank

1.5 in nominal sched 40 steel pipe, 720 ft

1.5 in nominal 90° standard Elbow, 5 total

1.5 in nominal Global valve, 2 each

1.5 in nominal ball valve, 1 each

one Sulzer pump model 1.5x3x10 (60hz) with 9.69 in impeller