

Robert Slade

Homework 2

ME 380

Problems 6-10

6. The value for the absolute pressure will always be greater than that for the gage pressure.

- True, because absolute pressure is gage pressure plus Atmospheric pressure.

7. As long as you stay on the surface of Earth, the atmospheric pressure will be 14.7 psia

- false, The magnitude of the atmospheric pressure varies with location and with climatic conditions.

8. The pressure in a certain tank is -55.8 Pa (abs)

- false, A perfect vacuum is the lowest possible pressure. Therefore, an absolute pressure will always be positive.

9. The pressure in a certain tank is -4.65 psig.

- True, A gage pressure below atmospheric pressure is negative.

10. The pressure in a certain tank is -160 kPa (gage).

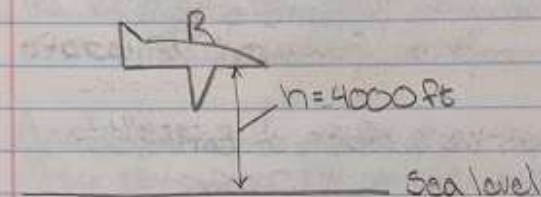
- True, A gage pressure below atmospheric pressure is negative.

Problem 11.

Purpose:

What would the atmospheric pressure be if it conforms to the standard atmosphere

Drawing:



Source:

Mott, Robert L.; Ontaner, Joseph A., Applied Fluid Mechanics  
7<sup>th</sup>, 2015. Reprinted by permission of Pearson Education,  
Inc., New York, New York

Design considerations:

The following must be assumed:

- 1. Incompressible fluid
2. Isothermal process

Data and Variables

$$h = 4000 \text{ ft}$$

$$P_{\text{atm}} = 14.7 \text{ psia}$$

$$\gamma = 0.0764 \text{ lb/ft}^3 \text{ (table E.2 page 497)}$$

Procedure

Use the Pressure - Elevation Relationship  
to find the change in pressure.

$$\Delta P = \gamma h$$

Express the pressure as a gage pressure

$$P_{\text{gage}} = P_{\text{atm}} - P_{\text{abs}}(\Delta P)$$

Calculations:

$$\Delta P = \gamma h = 0.0764 \text{ lb/ft}^3 (4000 \text{ ft}) = 305.6 \text{ lb/ft}^2$$

$$\therefore \Delta P = 2.12 \text{ PSia}$$

$$P = P_{\text{atm}} - P_{\text{abs}} = 14.70 \text{ PSia} - 2.12 \text{ PSia} = \boxed{12.58 \text{ PSia}}$$

Summary:

The open-cockpit airplane flying at a height of 4000 ft above sea level will have an atmospheric pressure of 12.58 PSia as it conforms to the standard atmosphere.

Material: Air

Analysis:

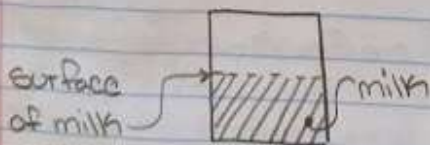
The greater the airplane's elevation as it conforms to the standard atmosphere the atmospheric pressure decreases.

Problem 13

Purpose:

Find the pressure at the surface of a glass of milk

Drawing:



Source:

Mott, Robert L.; Untener, Joseph A., Applied Fluid Mechanics  
7<sup>th</sup>, -2015. Reprinted by permission of Pearson Education,  
Inc., New York New York

### Design Considerations:

The following must be assumed:

1. Incompressible fluid
2. Isothermal process

### Data and Variables:

$h = 0$  (at the surface)

### Procedure:

use the pressure-elevation relationship to determine the pressure.

$$\Delta P = \gamma h$$

use the definition of Absolute pressure

$$P_{abs} = P_{gage} + P_{atm} / P_{gage} = P_{atm} - P_{abs} (\Delta P)$$

### Calculations:

$$\Delta P = \gamma h = \rho (0) = 0 \text{ Psia}$$

$$P_{gage} = P_{atm} - 0 = 0 \text{ Psia}$$

### Summary:

The gage pressure at the surface of a glass of milk is zero.

### material:

milk

### Analysis:

Without elevation or depth there will be no pressure. A force will need to be applied to have pressure.

### Problem 41

#### Purpose:

Find the required air pressure in the reservoir for the lift cylinder to maintain 180 psig

#### Drawings:

See text book Figure 3.19

#### Sources:

Mott, Robert L., Untener, Joseph A. Applied Fluid mechanics 7<sup>th</sup> - 2015. Reprinted by permission of Pearson Education Inc, New York New York

#### Design Considerations:

The following must be assumed:

1. Incompressible fluid
2. Isothermal process

#### Data and Variables:

$$P_{\text{Point A}} = 180 \text{ psig}$$

$$S_g = 0.90$$

#### Procedures

Use Pressure-elevation Relationship

$$\Delta P = \gamma h$$

Express the pressure as a gage pressure

$$P_{\text{air}} = P_{\text{atm}} - P_{\text{abs}} (\Delta P)$$

↑  
Point A

#### Calculations

$$h = 32 \text{ in} + 32 \text{ in} = 64 \text{ in}$$

$$\text{eg: } \gamma = \frac{\gamma}{62.4 \text{ lbf/ft}^3 \text{ (Page 11)}} = \gamma = (0.90)(62.4 \text{ lbf/ft}^3) = 56.16 \text{ lbf/ft}^3$$
$$\gamma = 0.0325 \text{ lbf/in}^3$$

$$\Delta P = \gamma h = 0.0325 \frac{\text{lb}}{\text{in}^3} (64 \text{ in}) = 2.08 \text{ Psig}$$

$$P_{\text{air}} = \overset{\text{Point A}}{P_{\text{atm}}} - \Delta P = 180 \text{ Psig} - 2.08 \text{ Psig} = \boxed{177.92 \text{ Psig}}$$

### Summary:

The air pressure in the reservoir is 177.92 Psi to maintain 180 psi at point A in the lift cylinder.

Material: Air, Oil

### Analysis:

The pressure at any point in the fluid only depends directly on the fluid column height and on the specific weight of the fluid.

### Problem 02

#### Purpose:

Compute the pressure at point A of the manometer.

#### Drawing:

See textbook figure 3.26

#### Sources:

Mott, Robert L, Untener, Joseph A., Applied Fluid mechanics 7<sup>th</sup>, -2015. Reprinted by Permission of Pearson Education Inc, New York New York

#### Design Considerations

The following must be assumed

1. Incompressible fluid
2. Isothermal process

### Data and Variables:

$$S_g (\text{mercury}) = 13.54$$

All distances in the drawing

### Procedure:

Use pressure-elevation relationship

$$\Delta P = \gamma h$$

express the pressure as a gage pressure,

$$P_{\text{point A}} = P_{\text{atm}} - \Delta P$$

### Calculations:

$$-\gamma_m \times 75\text{mm} - \gamma_w \times 100\text{mm} = P_a$$

$$= -13.54 \times 0.075\text{m} - 9.81 \text{ kN/m}^3 \times 0.1\text{m} = P_a$$

$$= -1.0155\text{m} -$$

start over

$$\gamma_m = S_g \times \gamma_w = 13.54 (9.81 \text{ kN/m}^3) = 132.8 \text{ kN/m}^3$$

$$-\gamma_m (0.075\text{m}) - \gamma_w \times 0.1\text{m} = P_a$$

$$-132.8 \text{ kN/m}^3 (0.075\text{m}) - 9.81 \text{ kN/m}^3 (0.1\text{m}) = P_a$$

$$-9.96 \text{ kN/m}^2 - 0.981 \text{ kN/m}^2 = P_a$$

$$-10.941 \text{ kN/m}^2 = P_a$$

$$\therefore P_a = -10.941 \text{ kPa}$$

### Summary:

The pressure at point A in the manometer is

$$-10.943 \text{ kPa}$$

### Material:

water, mercury

### Analysis:

The pressure on a certain point depends directly on the fluid column height and on the specific weight of the fluid.

### Problem 83

#### Purpose:

Calculate the atmospheric pressure (Psia) of the barometer.

#### Drawings:



#### Sources:

Mott, Robert L., Untaner, Joseph A. Applied Fluid mechanics 7<sup>th</sup>-2015 Reprinted by permission of Pearson Education Inc, New York New York

#### Design Considerations

The following must be assumed.

1. Incompressible fluid
2. Isothermal process

#### Data and Variables

30.65 in of mercury

#### Procedure:

Convert from inches to Psia

$$1.0 \text{ in of mercury} = 0.491 \text{ psi}$$

#### Calculations

$$P_{\text{atm}} = 30.65 \text{ in} \times \frac{0.491 \text{ psi}}{1.0 \text{ in}} = \boxed{15.049 \text{ psia}}$$

Summary:

The atmospheric pressure is 15.049 PSia

Material  
Mercury

Analysis

Conversion Factors can be used to measure high pressures with a mercury manometer.